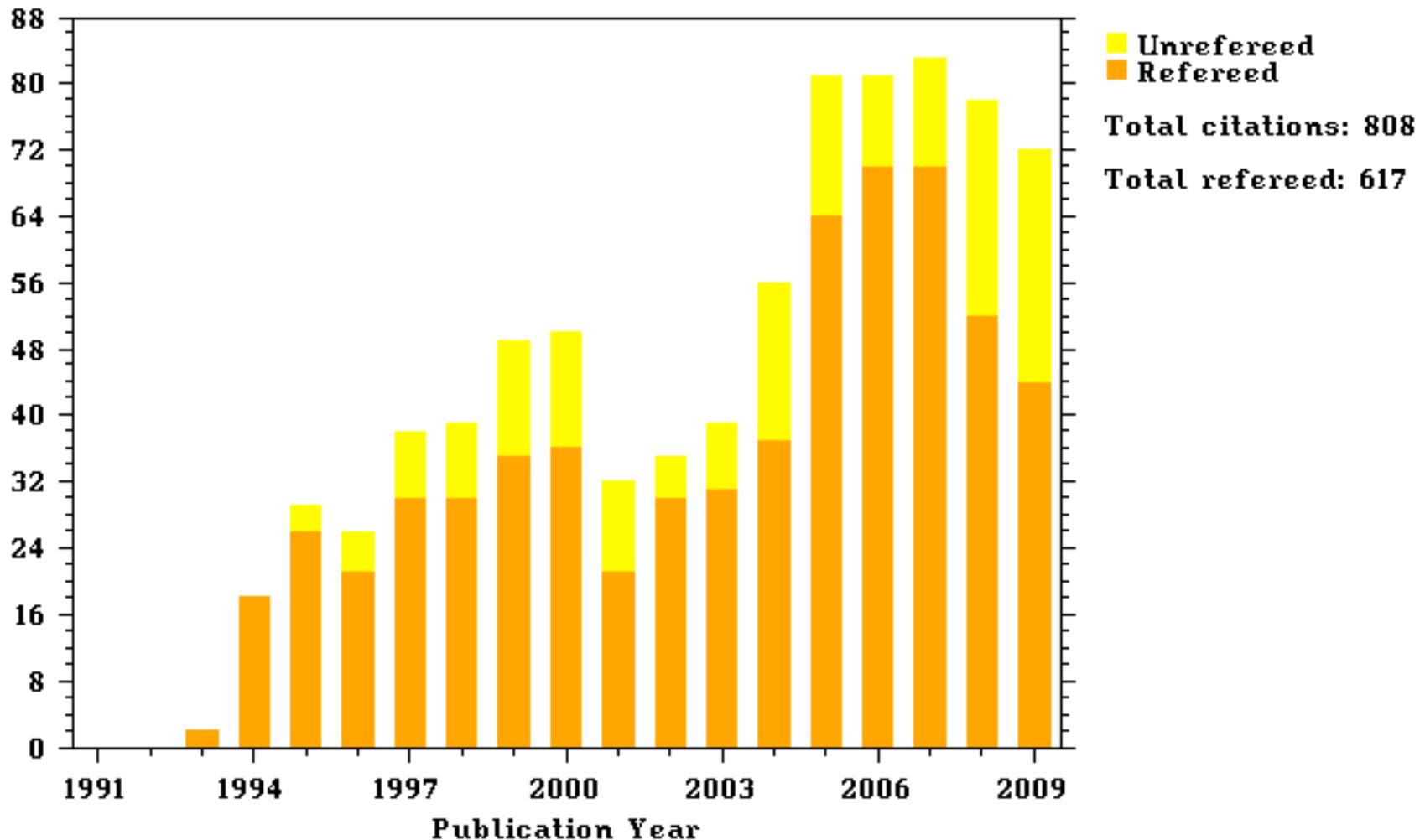


David Band's
Contributions to
GRB Science
with BATSE

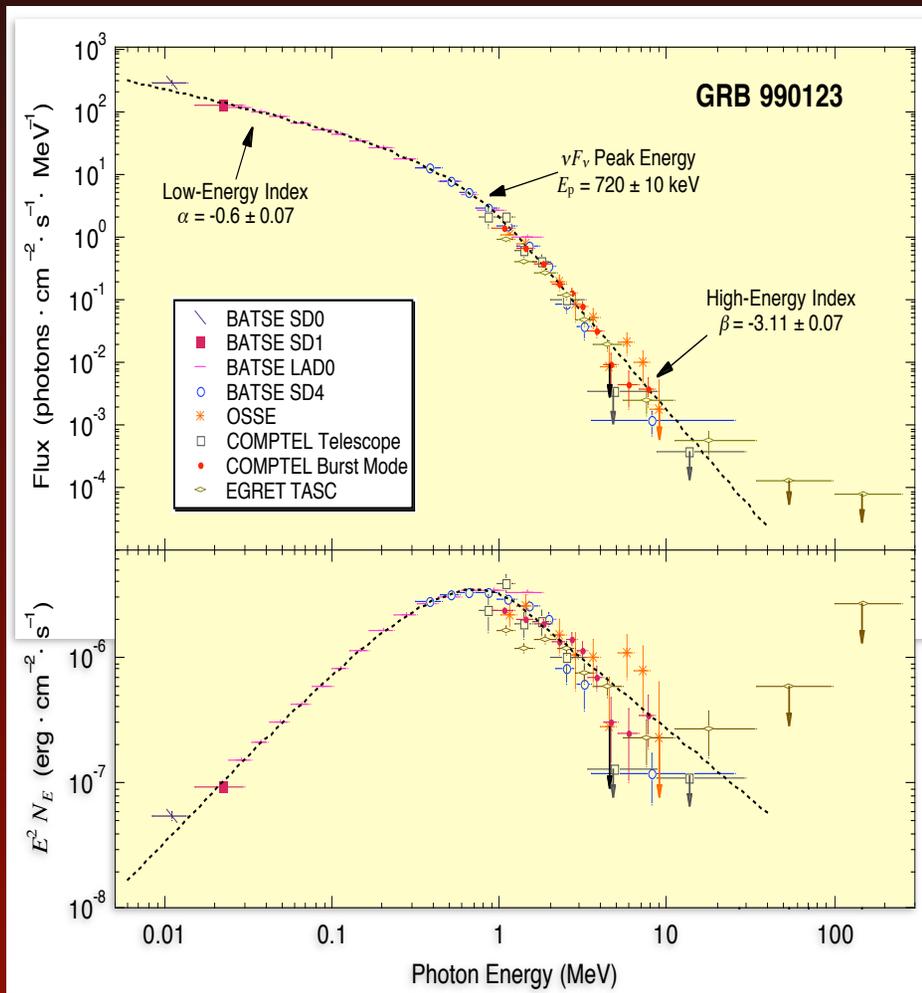
Rob Preece
UAHuntsville

BATSE observations of gamma-ray burst spectra. I - Spectral diversity (Band '93)

Citations/Publication Year for 1993ApJ...413..281B



The Band 'GRB' Function:



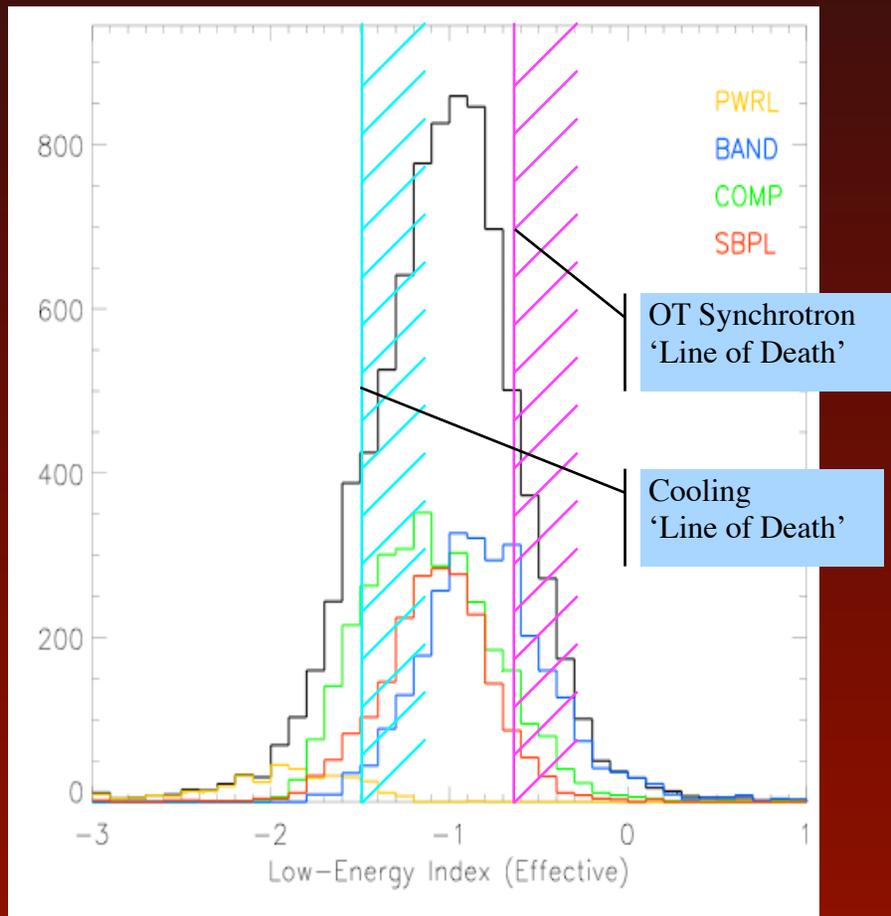
- Photon Number Flux:

$$f(E) = \begin{cases} A(E/100)^\alpha e^{-E(2+\alpha)/E_{\text{peak}}} & \text{if } E < \frac{(\alpha - \beta)E_{\text{peak}}}{(2 + \alpha)} \equiv E_{\text{break}} , \\ A \left[\frac{(\alpha - \beta)E_{\text{peak}}}{100(2 + \alpha)} \right]^{(\alpha - \beta)} \exp(\beta - \alpha)(E/100)^\beta & \text{if } E \geq \frac{(\alpha - \beta)E_{\text{peak}}}{(2 + \alpha)} . \end{cases}$$

- Unique function of two power laws, continuous and smoothly joined.
- Originally parameterized with an e-folding: E_0
- Empirical only; no direct physical motivation.

Why is the Band Function so Useful?

~8900 spectral fits from
350 bright BATSE GRBs



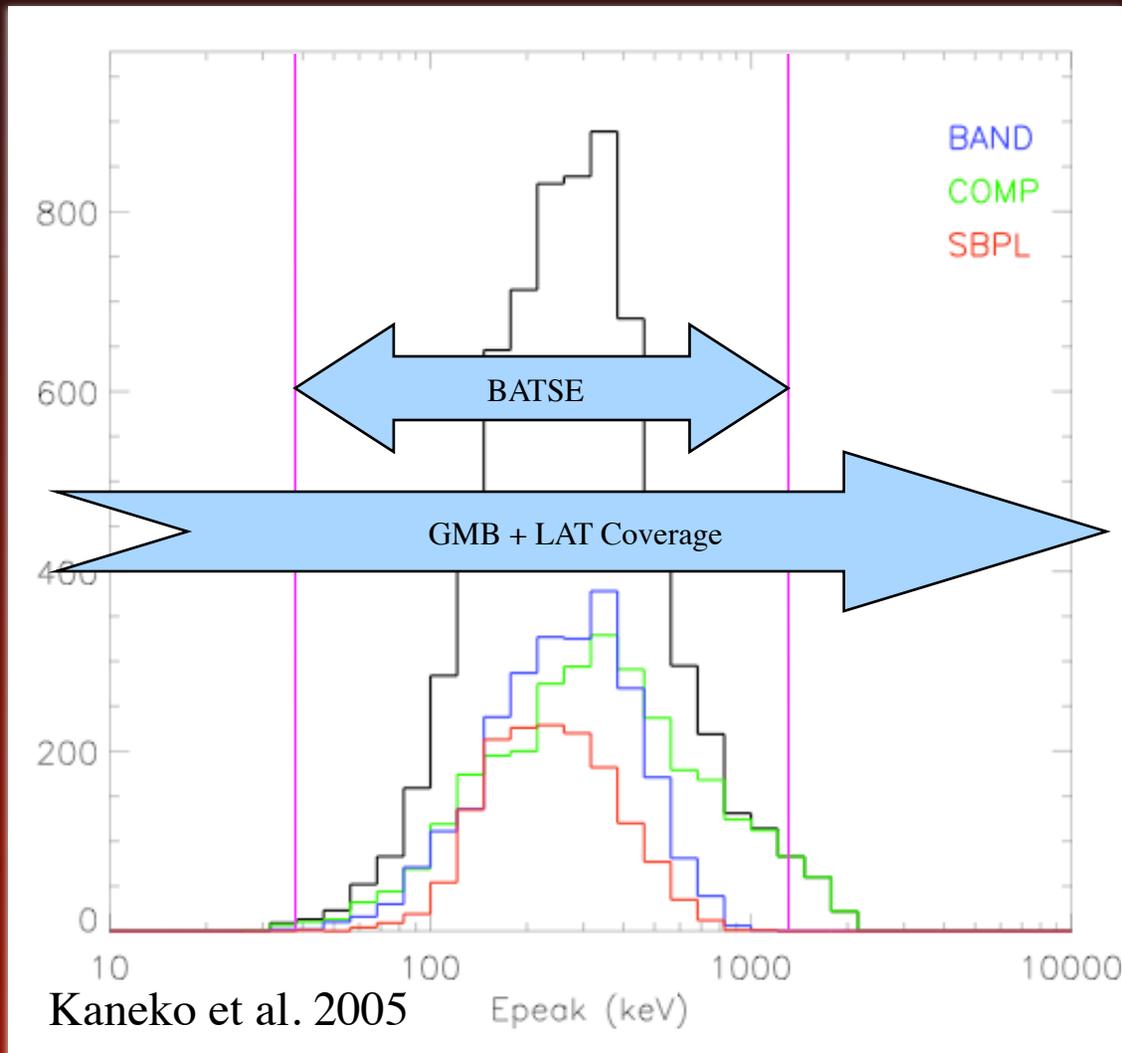
Preece et al. 1998 ApJL & Kaneko et al. 2005

- It has several useful limits:
 - If $\beta \rightarrow -\infty$: PL + Exponential
 - If $\alpha \rightarrow \beta$: Single PL
 - If $\alpha \rightarrow -2/3$: OT Synchrotron
 - If $\alpha \rightarrow -3/2$: Cooling spectrum
 - If Synchrotron: β can be related to electron distribution
- Statistically, BATSE spectra favor 4 parameters, no more (additional parameters poorly determined).
- It fits a huge number of spectra!

BATSE observations of gamma-ray burst spectra. 2: Peak energy evolution in bright, long bursts (Ford & Band et al. '95)

- Introduced:
 - Peak in νF_{ν}
 - $E_{\text{peak}} = (2+\beta)E_0$
- E_{peak} evolution:
 - Hard-to-soft
 - Tracking pulse
- Technique of using Model Variances, rather than Data Variances in spectral fitting -> SOAR

What about E_{peak} ?



- E_{peak} parameterization:
 - Energy of peak in EF_E
 - Indicates peak of gamma-ray SED
- Narrow distribution: intrinsic or instrumental?
- Some fits unbounded: (beta > -2) E_{peak} is actually only a break; true E_{peak} must be higher (or infinite power!)
- Red-shift? Cosmological + Bulk Lorentz Factor

Spectral Line Detectability:

- BATSE gamma-ray burst line search. 2: Bayesian consistency methodology (Band et al. ApJ '94)
 - Describes a framework to determine consistency if BATSE does not detect *Ginga*-like lines
- BATSE Gamma-Ray Burst Line Search. III. Line Detectability (Band et al. ApJ '95)
 - BATSE is sensitive enough to detect *Ginga*-like lines
- BATSE Gamma-Ray Burst Line Search. IV. Line Candidates from the Visual Search (Band et al. ApJ '96)
 - No significant lines are found from a visual search of BATSE spectra
- BATSE Gamma-Ray Burst Line Search. V. Probability of Detecting a Line in a Burst (Band et al. ApJ '97)
 - What is the probability of seeing *Ginga*-like lines in actual BATSE data?

Various Other Projects:

- BATSE spectroscopy detector calibration (Band et al., Exp Astron '92)
 - The reference for NaI detector nonlinearity
- On the use of $V/V(\max)$ for gamma-ray bursts (Band ApJ '92)
 - Don't try and fit V/V_{\max} curve (it's a statistical test)!
- The effect of repeating gamma-ray bursts on V/V_{\max} (Band ApJ '94a)
 - Repeaters won't skew V/V_{\max} as a test for homogeneity
- Is there cosmological time dilation in gamma-ray bursts? (Band ApJ '94b)
 - Maybe... (Norris et al. analysis not strong enough to tell)
- Gamma-Ray Burst Spectral Evolution through Cross-Correlations of Discriminator Light Curves (Band Apj '97)
 - Usage of the auto- and cross-correlation between BATSE discriminator channels to show ubiquitous hard-to-soft evolution

Testing the Gamma-Ray Burst Energy Relationships (Band & Preece 2005)

- Amati et al. 2002:

$$E_p = C_1 \left(\frac{E_{\text{iso}}}{10^{52} \text{ ergs}} \right)^{\eta_1}$$

$$\xi_1 = \frac{E_{p,\text{obs}}^2}{S_\gamma} = \frac{4\pi d_L^2 C_1^2}{(10^{52} \text{ ergs})(1+z)^3} = A_1(z)$$

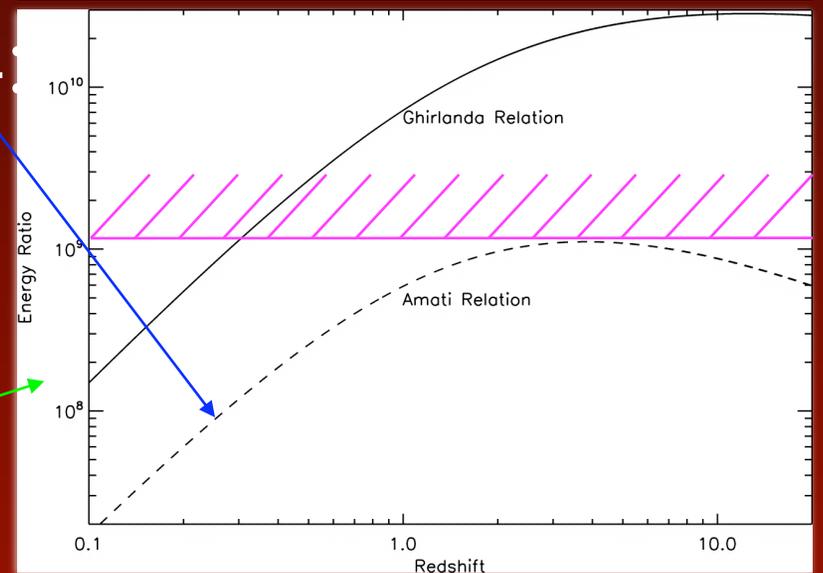
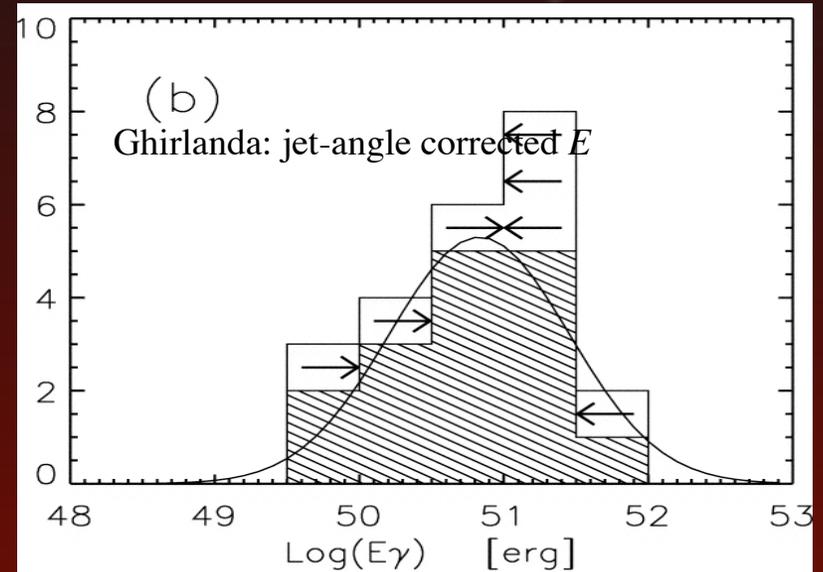
- $C_1 = 95 \text{ keV}$

- Ghirlanda et al. 2004:

$$E_p = C_2 \left(\frac{E_\gamma}{10^{51} \text{ ergs}} \right)^{\eta_2}$$

$$\xi_2 = \frac{E_{p,\text{obs}}^{1.429}}{S_\gamma} = f_B \frac{4\pi d_L^2 C_2^{1.429}}{(10^{51} \text{ ergs})(1+z)^{2.429}} = f_B A_2(z).$$

- $C_2 = 512 \text{ keV}; f_B = (1 + \cos\theta_{\text{jet}})$



Consistency of the Amati Relation with BATSE E_p

